Music 206: Computational Acoustic Modeling for Sound Synthesis Winter 2020

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Course Information

Meeting Time and Place

Lecture: Tuesday 2:00PM - 4:50PM, CPMC 367

Office hours: CPMC 233 (my office) by appointment.

Course Description

This seminar introduces methods for discrete-time modelling of musical acoustic systems and delay-based audio effects. Covered topics, including filters, delay lines, flanging, aritificial reverb, sampled traveling waves, musical instrument acoustics/modeling, and acoustic measurement. Theory will be consolidated with practical programming assignments in Matlab.

Prerequisites

Music 170, 171 and 172, or equivalent, or permission by instructor.

Grading

- Assignments (6 total, 10% each) 60%
- Class participation 10%
- Paper presentation 10%

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Paper presentations

- Week 6
 - Modeling Acoustic Tubes and Wind Instrument Bores/Bells
 - digital waveguide cont.; propagation loss; termination and scattering; change in cross-section area; two-port scattering junction; open-end reflection;
- Week 7
 - Mechanical Vibration mass-spring systems, simple harmonic motion, the equation of motion, discretization and the bilinear transform,
 - The pressure-controlled valve.
- Week 8
 - Filters III
- Week 9
 - Acoustic (impulse response) measurement
 - The Waveguide model in the frequency domain
 - Loose ends (other?)
- Week 10
 - Project presentations.

Assignments

- Assignment 1 (due Tuesday January 14, 2020):
 - 1. Read Smith and Jaffe's paper found here.
 - 2. Implement a parametric circular delay line in Matlab, where the single parameter M is the integer length of the effective delay.
 - your delayline should accommodate a number of *integer* delay values (this is the *parameter*) using a single delayline;
 - implement the integer sample delay using a read and $write\ {\rm pointer}$ to a delay line having a length that's set according to the longest expected delay (lowest frequency);
 - to make sure you implemented correctly, check its *impulse response*: the output in response to an $\mathit{impulse}$ as input.
 - 3. Use your delay line to create a *feedforward* comb filter with gain coefficient g. 3

Required Textbooks

• Music 206 on-line notes.

Resources

Matlab is available in the Music Lab, the Library, the Price Center, and any number of labs across the campus managed by ACMS. A list of the general access labs on campus is available here

Reference

• The Physics of Musical Instruments Second Edition, by Neville Fletcher and Thomas Rossing.

Schedule and Online Lecture Notes (subject to change)

- Week 1
 - Class intro/admin;
 - Intro to Physical Modeling;
 - Filters and Delay I; (simple lowpass filter, delay line, comb filters);
 - Matlab tutorials 1 and 2
- Week 2
 - Filters and Delay II
- Week 3

• Week 5

- Filters and Delay II cont.
- Delay Effects: flanging, fractional delay (linear interpolation), multi-tap delay
- line, chorus, reverberation, dispersion (allpass filters), Karplus-Strong.

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- Week 4
 - Digital Waveguides
 - wave equation, d'Alembert's solution, the digital waveguide, boundary conditions, the plucked string.

- how does your output compare to the output of Matlab's filter function? Matlab M-sample delay feedforward comb filter
- M = ...; % sample delayn g = ...; N = ...; % comb filter coefficient
- % signal length x = [1; zeros(N-1,1)]; % input impulse
- filter([1; zeros(M-1); g], 1, x);

Solutions:

- cdl.m
- cdlffcomb.m
- Assignment 2 (due Tuesday January 21, 2020):

Beginning with your circular delay line:

- 1. implement fractional delay using linear interpolation
- 2. implement a flanger with a variable length delay that oscillates between some maximum and minimum value (with linear interpolation for fractional delay).
- 3. implement a chorus effect with a multi-tap delay line.
- 4. implement a feedback comb filter with feedback coefficient q

Solutions:

- flanger.m (flanger with linear interpolation)
- Assignment 3 (due Tuesday January 28, 2020);
- Beginning with your (non-interpolating) circular delay line
 - implement a feedback comp filter, setting feedback coefficient g given note duration (T60) and integer sample delay M.
 - implement the karplus strong for an integer delay using a noise burst for excitation and the simple lowpass filter in the feedback loop.

Solutions:

- karplus.m (simple Karplus-Strong string, with integer delay)
- Assignment 4 (due Tuesday February 4, 2020):
- Beginning with your Karplus-Strong pluck string model, extend using
 - allpass fraction delay for tuning

- decay length (note duration) shortening for low frequencies
- BONUS: decay length stretching so you can specify a note duration (this will create a change in the phase delay of the lowpass filter and the overall loop duration and sounding frequency).
- Assignment 5 (due Tuesday Febrary 18, 2020):
- Implement a 1-D digital waveguide (bi-directional delay line) of a plucked string.
 - Use your non-interpolating delay line to create your wavegude structure: begin with inversions but no losses at each end.
 - Check 1: Input and impulse at one end. If tapped at the same location as the input, the impulse response should be a sequence of 1s seperated by N-1 zeros (where N is the round-trip delay, and N/2 is the delay for each delay line).
 - Check 2: make sure the sum of right and left traveling waves is always zero at the boundaries.
 - Add lowpass filter. Is it beginning to sound string like?
 - Choose a plucking position and initialize the string to a triangle shape (as shown in class and in notes).
 - Choose a pickup point and sum upper and lower delaylines at that point to produce the output waveform. Listen!
- Assignment 6 (due Tuesday February 25, 2020): Implement a sequence of N 2-port scattering junctions and use it to model the human vocal tract when vocalizing any of the following vowel sounds:
 - 3-bird
 - A-bart
 - ae-bat
 E-bet
 - i-beet
 - I-bit
 - O-ball
 - u-food
 - U-foot
 - V-but

where each linked file is a sequence of cross-sectional areas.

- 1. BEFORE using the files, test with a simple vector of cross-sectional areas that are all the same,
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- $S = [1 \ 1 \ 1 \ 1];$
- Nj = length(S) 1; k = (S(1:end-1) - S(2:end)) ./ (S(1:end-1) + S(2:end));

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- as this should produce the same output as a purely cylindrical waveguide model.
- 2. LOAD files into Matlab:
 - load 'A-bart44100.txt';

Try your model with the following source as input:

- source.wav